

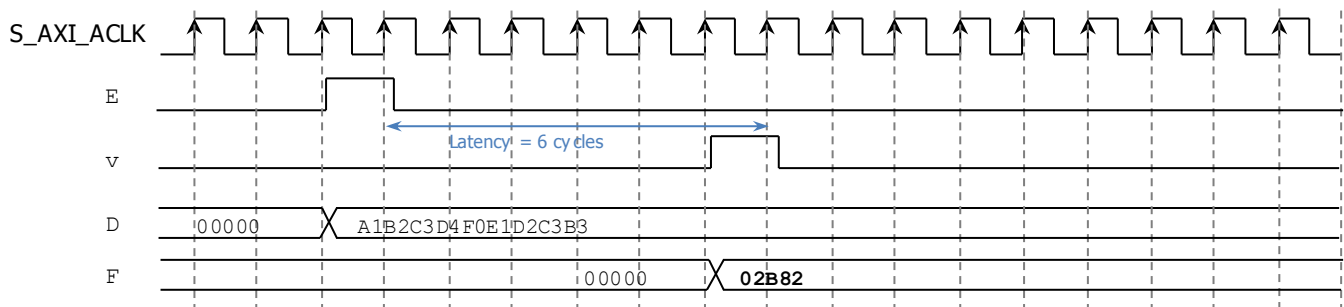
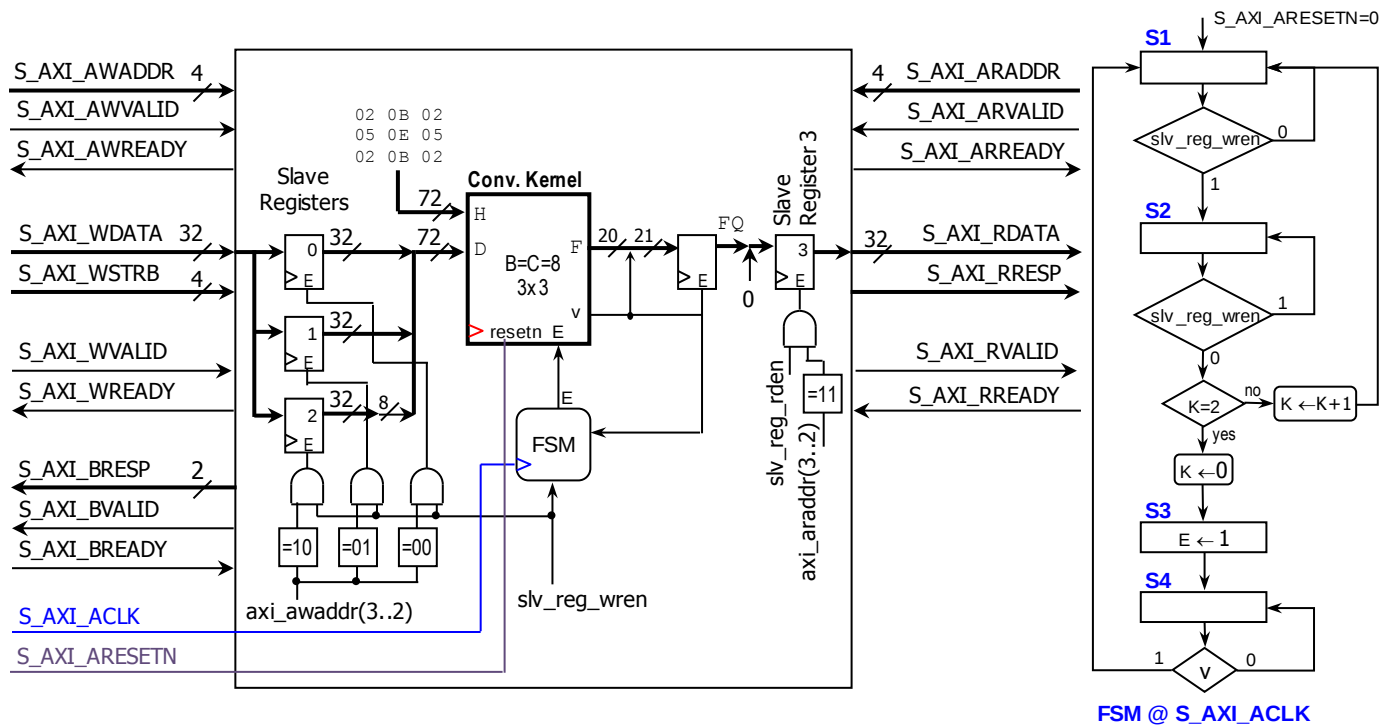
Solutions - Homework 2

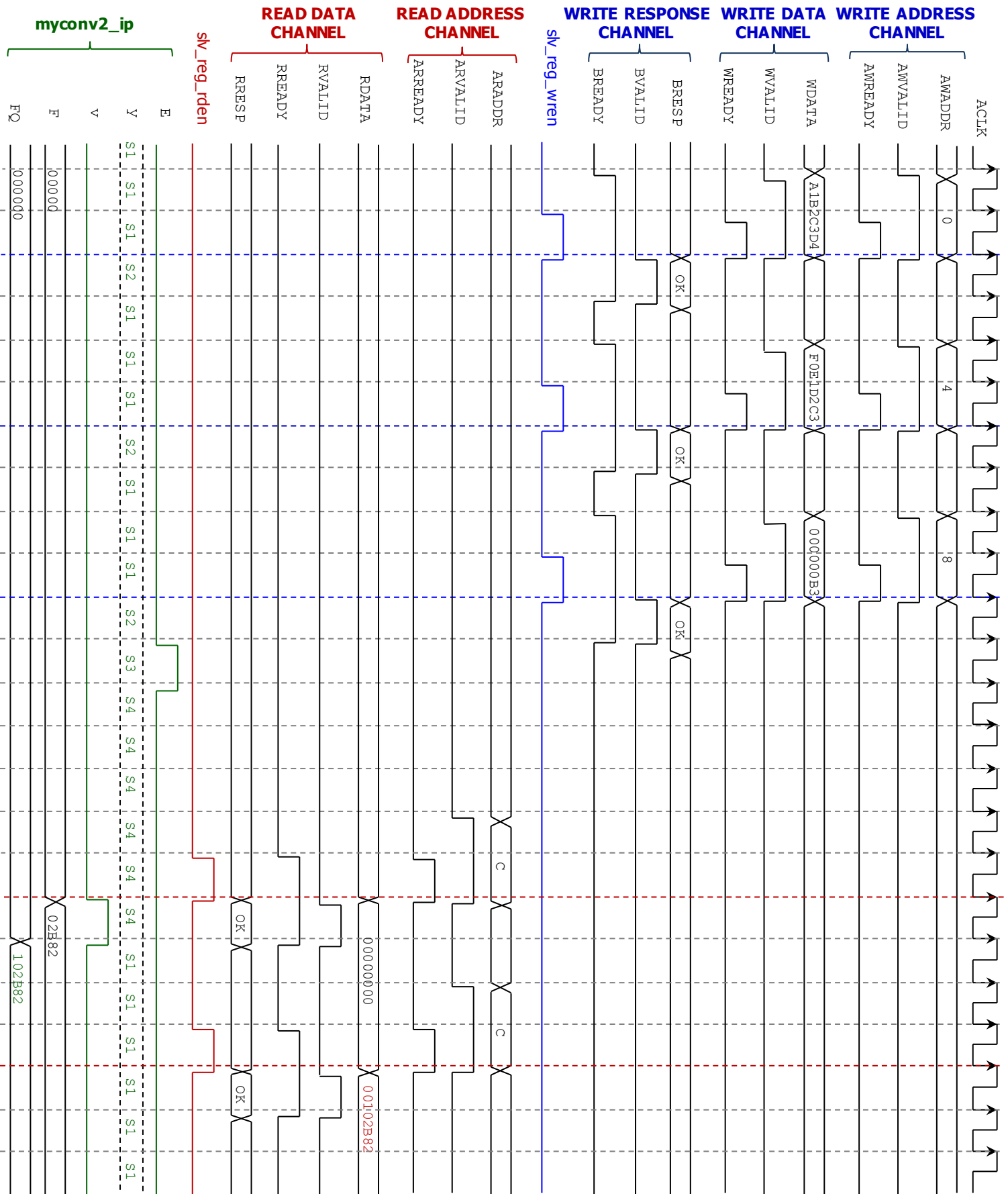
(Due date: May 25th)

Presentation and clarity are very important! Show your procedure!

PROBLEM 1 (30 PTS)

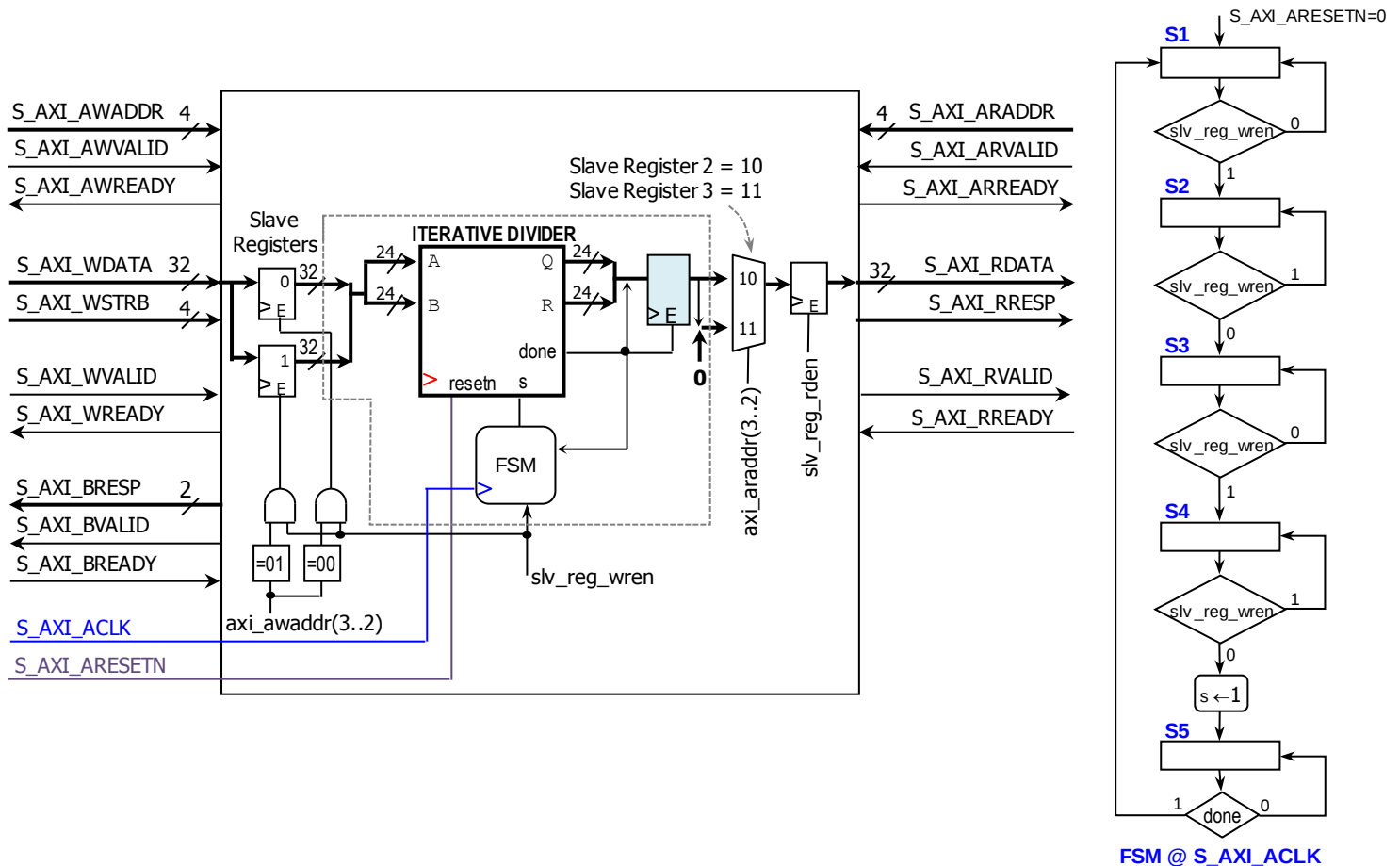
- AXI4-Lite interface for Pipelined 2D convolution kernel ($N=3$, $B=C=8$):
 - The I/O timing diagram of the pipelined 2D convolutional kernel is shown below.
 - Input data: $0 \times A1B2C3D4F0E1D2C3B3$. This data is captured when E is asserted.
 - Output data: $0 \times 02B82$. It appears after the processing delay (6 clock cycles) with $v=1$.
 - Complete the timing diagram for the AXI4-Lite Interface: Given the AXI signals for the 5 Channels, complete the signals associated with the Pipelined 2D Convolution Kernel block (E , v , y , F , FQ signals) on the next page.





PROBLEM 2 (35 PTS)

- AXI4-Lite interface for Iterative Divider (N=24, M=24):
 - ✓ Sketch the AXI4-Lite Interface. This includes the Slave Registers, their control signals, as well as the extra glue logic (registers, FSM, etc.) to connect the Iterative Divider to the Slave Register signals.
 - Slave Registers: Use as many as you need, indicating their number. The latched addresses depicted ($axi_awaddr[3..2]$, $axi_araddr[3..2]$) support up to 4 registers. If for example, you need more registers (say up to 8), you would need $axi_awaddr[4..2]$, $axi_araddr[4..2]$.
 - The start signal s should not be generated via software, rather it should be issued by an FSM once the input data has been received. Sketch the FSM as well.



PROBLEM 3 (35 PTS)

- Calculate the result of the following operations. The operands are signed (2C) fixed-point numbers. The result must be a signed fixed-point number. For the division, use $x=5$ fractional bits.

1.101001 + 1.0001	1001.1101 - 1.010101	0.01001 + 01.11011
0.10011 × 10.101	1.011 × 1.0011	01.01110 ÷ 1.011

$$\begin{array}{r|l}
 \begin{array}{c} c_8=1 \\ c_7=1 \\ c_6=0 \\ c_5=0 \\ c_4=0 \\ c_3=0 \\ c_2=0 \\ c_1=0 \\ c_0=0 \end{array} & \begin{array}{r} 1.101001 + \\ 1.0001 \\ \hline 1.0110101 \end{array} \\
 \begin{array}{c} c_8=0 \\ c_7=0 \\ c_6=0 \\ c_5=0 \\ c_4=0 \\ c_3=0 \\ c_2=0 \\ c_1=0 \\ c_0=0 \end{array} & \begin{array}{r} 1001.1101 - \\ 1.010101 \\ \hline 1000.100001 \end{array}
 \end{array}
 \Rightarrow
 \begin{array}{r|l}
 \begin{array}{c} c_8=0 \\ c_7=0 \\ c_6=0 \\ c_5=1 \\ c_4=1 \\ c_3=0 \\ c_2=0 \\ c_1=0 \\ c_0=0 \end{array} & \begin{array}{r} 1.0110101 + \\ 0.0000100 \\ \hline 1.0111001 \end{array} \\
 \begin{array}{c} c_8=0 \\ c_7=0 \\ c_6=1 \\ c_5=1 \\ c_4=1 \\ c_3=0 \\ c_2=1 \\ c_1=1 \\ c_0=0 \end{array} & \begin{array}{r} 0.01001 + \\ 01.11011 \\ \hline 01.1101101 \end{array}
 \end{array}$$

$$\begin{array}{l}
 0.10011 \times 10.101 \Rightarrow 0.10011 \times 01.011 \Rightarrow \begin{array}{r} 10011 \times \\ 1011 \\ \hline 10011 \\ 10011 \\ 00000 \\ 00000 \\ 10011 \\ \hline 011010001 \\ \hline 0.11010001 \\ \hline 1.00101111 \end{array} \quad \begin{array}{l} 1.011 \times 1.0011 \Rightarrow 0.101 \times 0.1101 \Rightarrow \begin{array}{r} 1101 \times \\ 101 \\ \hline 1101 \\ 0000 \\ 1101 \\ \hline 0100001 \\ \hline 0.100001 \end{array} \end{array}
 \end{array}$$

✓ $\frac{01.0111}{1.011}$: To unsigned (denominator) and then alignment, $a = 4$: $\frac{01.0111}{0.101} = \frac{01.0111}{00.1010} = \frac{010111}{001010} = \frac{10111}{1010}$

$$\begin{array}{r}
 0001001001 \\
 1010 \overline{) 1011100000} \\
 \underline{1010} \\
 1100 \\
 \underline{1010} \\
 10000 \\
 \underline{1010} \\
 110
 \end{array}$$

Append $x=5$ zeros: $\frac{1011100000}{1010}$

Integer Division:

$Q = 1001001, R = 110$
 $\rightarrow Q_f = 10.01001 (x=5)$

Final result (2C): $\frac{01.01110}{1.011} = 2C(010.01001) = 101.10111$

- Represent these numbers in Fixed Point Arithmetic (signed numbers). Use the FX format [16 8]. (5 pts)

✓ -32.1875:

$32.1875 = 0100000.0011 \rightarrow -32.1875 = 1011111.1101 = 11011111.11010000 = 0xDF.D0$

✓ 123.3125:

$123.3125 = 01111011.0101 = 01111011.01010000 = 0x7B.50$